



Sanjay Ghodawat University, Kolhapur

2018-19

Established as State Private University under Govt. of Maharashtra. Act No XL, 2017 EXM/P/09/01

Year and Program: 2018-19

School of Technology

Department of Civil Engg. (M. Tech)

Course Code: CEM 5091

Course Title: Structural
Optimization

Semester – I

Day and Date Friday

End Semester Examination
(ESE)

Time: Max Marks: 100

31/05/2019

3 Hrs.

2.30 to 5.30 pm.

Instructions:

- 1) All questions are compulsory.
- 2) Assume suitable data wherever necessary.
- 3) Figures to the right indicate full marks.

- Q.1 Solve the following questions.
- | Marks | Bloom's Level | CO |
|-------|----------------|-----|
| 10 | L ₃ | CO1 |
- a) Solve following problem by trial and error method
- Maximize $Z = 3X_1 + 4X_2$
- Subject to $X_1 + X_2 \leq 450$
- $2X_1 + X_2 \leq 600$
- Where $X_1, X_2 \geq 0$
- OR**
- a) Explain Elements and Assumption in Optimization. Also state applications of optimization in engineering.
- | | | |
|----|----------------|-----|
| 10 | L ₃ | CO1 |
|----|----------------|-----|
- Q.2 Solve the following questions
- a) Solve following Linear Programming Problem by Graphical Method
- | | | |
|----|----------------|-----|
| 10 | L ₃ | CO2 |
|----|----------------|-----|
- Maximize $Z = 5X_1 + 4X_2$
- Subject to $2X_1 + X_2 \leq 100$
- $X_1 + 3X_2 \leq 90$
- Where $X_1, X_2 \geq 0$

ESE

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Q.3 Solve the following questions

- a) Consider the transportation problem below Find IBFS by
- 1) N-W Corner Cell Method
 - 2) Least Cost Cell Method

10

L₃

CO3

						Supply
	10	2	16	14	10	300
	6	18	12	13	16	500
	8	4	1	12	10	825
	14	22	20	8	18	375
Demand	350	400	250	150	400	

Q.4 Solve the following questions

- a) Solve following nonlinear programming using Lagrangean Method

10

L₃

CO4

$$\text{Maximize } Z = 4X_1 - 0.02X_1^2 + X_2 - 0.02X_2^2$$

$$\text{Subject to } X_1 + X_2 = 120$$

$$\text{Where } X_1, X_2 \geq 0$$

OR.

- c) Solve Following nonlinear programming using Kuhn-tucker method.

10

L₃

CO4

$$\text{Maximize } Z = 3X_1^2 + 14X_1X_2 - 8X_2^2$$

$$\text{Subject to } 3X_1 + 6X_2 \leq 72$$

$$\text{Where } X_1, X_2 \geq 0$$

Q.5 Solve the following questions

- a) What is mean by Simulation? State advantages and disadvantages of Simulation

05

L₂

CO5

ESE

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- b) A construction site keeps records for daily demand of steel 15 L₅ CO5

Daily Demand	0	15	25	35	45	50
Probability	0.01	0.15	0.20	0.50	0.12	0.02

Given set of random numbers

48,78,09,51,56,77,15,14,68 and 09

- 1) Using the sequence, simulate the demand for next 10 days
- 2) Find stock situation if company supply 30 tonne /day

Also find avg. daily demand on basis of simulated data.

- c) Explain Dynamic programming with their application and characteristics 10 L₄ CO5

OR

- c) Explain concept of decision tree with suitable example 10 L₄ CO5

Q.6 Solve the following questions

- a) A RMC company manufactures 30 cum per day The sale of these concrete depends upon demand which has the following distribution 20 L₅ CO6

Sales	27	28	29	30	31	32
Probability	0.10	0.15	0.20	0.35	0.15	0.05

The production cost and sale price per Rs 4000 and Rs 5000 respectively. Any unsold concrete is to be disposed of at a loss of Rs 1500 per unit There is a penalty of Rs- 500 per cum if the demand is not met. Using following random numbers estimate total profit / loss for the company for next 10 days

10,99,65,99,95,01,79,11,16,20

If the company decided to produce 29 cum per day what are advantages or disadvantages to company

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- b) Find dimensions of rectangle beam having area 10 sqm whose perimeter is as small as possible 10 L₄ CO6

OR

- b) A 500 m compound wire is cut into two parts and used for two square plots .what is minimum possible sum of area two plots. 10 L₄ CO6

ESE

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